## ICS Assignment Solution 1

Name: $\qquad$ ID: $\qquad$

1. ( B )In a computer, the $\qquad$ subsystem serves as a manager of the other subsystems.
(A) ALU
(B) control unit
(C) input/output
(D) memory
2. ( D )A step-by-step solution to a problem is called $\qquad$ .
(A) a computer language
(B) hardware
(C) an operating system
(D) an algorithm
3. ( A )When converting a decimal integer to base b, we repeatedly $\qquad$ b.
(A) divide by
(B) multiply by
(C) add to
(D) subtract from
4. ( B )When converting a decimal fraction to base b, we repeatedly $\qquad$ b.
(A) divide by
(B) multiply by
(C) add to
(D) subtract from
5. ( B )Which of the following represents the largest number?
(A) $(11101001)_{2}$
(B) $(\mathrm{FA})_{16}$
(C) $(342)_{8}$
(D) 246
6. Explain the octal system. Why is it called octal? What is the base in this system?

Sol:
The octal system is a positional number system that uses eight symbols to represent a number. The word octal is derived from the Latin root octo (eight) or octalis (related to eight). In the octal system, the base is 8 .
7. What is the function of the ALU subsystem in a computer?

Sol:
The arithmetic/logic unit (ALU) is where calculations and logical operations take place.
8. In a positional number system with base $b$, the largest integer number that can be respected using $K$ digits is $b^{K}-1$. Find the largest number in each of the following systems with six digits:
(a) Binary
(b) Decimal
(c) Hexadecimal
(d) Octal

## Sol:

(a) binary: $2^{6}-1=63$
(b) decimal: $10^{6}-1=999,999$
(c) hexadecimal: $16^{6}-1=16,777,215$
(d) octal: $8^{6}-1=262,143$
9. Convert the following numbers to decimal without using a calculator, showing your work:
(a) $(35 \mathrm{E} . \mathrm{E} 1)_{16}$
(b) $(2731)_{8}$
(c) $(011110.01)_{2}$

Sol:
(a) $(35 \text { E.E1) })_{16}=3 \times 16^{2}+5 \times 16+14 \times 1+14 \times \frac{1}{16}^{2}+1 \times\left(\frac{1}{16}^{2}\right)=862.879$
(b) $(2731)_{8}=2 \times 8^{3}+7 \times 8^{2}+3 \times 8+1 \times 1=1497$
(c) $(011110.01)_{2}=1 \times 2^{4}+1 \times 2^{3}+1 \times 2^{2}+1 \times 2+0 \times 1+0 \times \frac{1}{2}+1 \times\left(\frac{1}{2}\right)^{2}=30.25$
10. A number less than $b^{K}$ can be represented using $K$ digits in base $b$. Show the number of digits needed in each of the following cases.
(a) Integers less than $2^{14}$ in binary
(b) Integers less than $10^{8}$ in decimal
(c) Integers less than $8^{13}$ in hexadecimal
(d) Integers less than $16^{4}$ in octal

Sol:
(a) 14
(b) 8
(c) $\log _{16} 8^{13}=\frac{39}{4}=9 \ldots$

Hence $K=10$
(d) $\log _{8} 16^{4}=\frac{16}{3}=5 \ldots$

Hence $K=6$

